

1 Top Level Initial Functions

In `simple.py`, calling `solve_direct`

In `generic.py` `solve_direct`

calling `solve_evolutionary_op` from `solve_direct`

in `solve_evolutionary_op`

$$state0 = [0 \ 0 \ 0 \ 0 \ 0 \ \dots \quad (1)$$

$$0 \ 0 \ 0 \ 0 \ 0] \quad (2)$$

in `solve_evolutionary_op`, before for loop, calling the `__call__` method of `time_solver`

In `SimpleTimeSteppingSolver.__call__` in `sfepy/solvers/ts.py`

before the `for` loop of `SimpleTimeSteppingSolver.__call__`

$$self.ts = \begin{bmatrix} 0 & 0 \\ 1 & 0.5 \\ 2 & 1 \end{bmatrix} \quad (3)$$

2 Pass 1 of the `for` loop of `SimpleTimeSteppingSolver.__call__`

$$step = 0 \quad (4)$$

$$time = 0 \quad (5)$$

calling `step_fun` from `SimpleTimeSteppingSolver.__call__`

in `time_step_function`

$$ts.time = 0 \quad (6)$$

$$ts.step = 0 \quad (7)$$

`time_update`, calling `update_materials`

in `traction_load` of `axial_rod_sfepy.py`

$$nt = 0 \quad (8)$$

`time_update`, after `update_materials`

2.0.1 In the `ts.step == 0` case

`ts.step = 0`

in `assemble_vector` of `sfepy/fem/evaluate.py`

`args = 'solid' : Material : solid, 'u' : Variable : u, 'ts' : TimeStepper, 'v' : Variable : v` (9)

$$vec_nels.shape = \begin{bmatrix} 2 \\ 1 \\ 24 \\ 1 \end{bmatrix} \quad (10)$$

in `assemble_vector` of `sfepy/fem/evaluate.py`

`args = 'traction' : Material : traction, 'ts' : TimeStepper, 'v' : Variable : v` (11)

$$vec_nels.shape = \begin{bmatrix} 1 \\ 1 \\ 12 \\ 1 \end{bmatrix} \quad (12)$$

$$state = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & \dots \\ & & & & & \end{bmatrix} \quad (13)$$

$$\begin{bmatrix} 0 & 0 & 0 & 0 & 0 \end{bmatrix} \quad (14)$$

$$state.shape = [36] \quad (15)$$

2.1 Pass 1 of the `for` loop of `solve_evolutionary_op`

$$ts.time = 0 \quad (16)$$

$$state = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & \dots \\ & & & & & \end{bmatrix} \quad (17)$$

$$\begin{bmatrix} 0 & 0 & 0 & 0 & 0 \end{bmatrix} \quad (18)$$

$$state.shape = [36] \quad (19)$$

3 Pass 2 of the for loop of SimpleTimeSteppingSolver.__call__

$$step = 1 \tag{20}$$

$$time = 0.5 \tag{21}$$

calling `step_fun` from `SimpleTimeSteppingSolver.__call__`
in `time_step_function`

$$ts.time = 0.5 \tag{22}$$

$$ts.step = 1 \tag{23}$$

`time_update`, calling `update_materials`
in `traction.load` of `axial_rod_sfepy.py`

$$nt = 0.5 \tag{24}$$

`time_update`, after `update_materials`

3.0.1 In the `ts.step != 0` case

`ts.step != 0`

calling `problem.solve`

calling `solvers.nls.__call__` from `ProblemDefinition.solve`

In `Newton.__call__` in `sfepy/solvers/nls.py`

in `assemble_vector` of `sfepy/fem/evaluate.py`

$$args = 'solid' : Material : solid, 'u' : Variable : u, 'ts' : TimeStepper, 'v' : Variable : v \tag{25}$$

$$vec_nels.shape = \begin{bmatrix} 2 \\ 1 \\ 24 \\ 1 \end{bmatrix} \tag{26}$$

in `assemble_vector` of `sfepy/fem/evaluate.py`

$$args = 'traction' : Material : traction, 'ts' : TimeStepper, 'v' : Variable : v \tag{27}$$

$$vec_i n_e ls.shape = \begin{bmatrix} 1 \\ 1 \\ 12 \\ 1 \end{bmatrix} \quad (28)$$

$$vec_r = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 & \dots \end{bmatrix} \quad (29)$$

$$\begin{bmatrix} 0 & 0 & 0 & 0 & -0.0125 \end{bmatrix} \quad (30)$$

$$vec_r.shape = [24] \quad (31)$$

in `assemble_matrix`

$$args = 'solid' : Material : solid, 'u' : Variable : u, 'ts' : TimeStepper, 'v' : Variable : v \quad (32)$$

$$mtx_i n_e ls.shape = \begin{bmatrix} 2 \\ 1 \\ 24 \\ 24 \end{bmatrix} \quad (33)$$

$$args = 'traction' : Material : traction, 'ts' : TimeStepper, 'v' : Variable : v \quad (34)$$

in `assemble_vector` of `sfepy/fem/evaulate.py`

$$args = 'solid' : Material : solid, 'u' : Variable : u, 'ts' : TimeStepper, 'v' : Variable : v \quad (35)$$

$$vec_i n_e ls.shape = \begin{bmatrix} 2 \\ 1 \\ 24 \\ 1 \end{bmatrix} \quad (36)$$

in `assemble_vector` of `sfepy/fem/evaulate.py`

$$args = 'traction' : Material : traction, 'ts' : TimeStepper, 'v' : Variable : v \quad (37)$$

$$vec_i n_e ls.shape = \begin{bmatrix} 1 \\ 1 \\ 12 \\ 1 \end{bmatrix} \quad (38)$$

$$vec_r = [0 \ 0 \ 0 \ 0 \ 0 \ \dots \quad (39)$$

$$0 \ 0 \ 0 \ 0 \ 0] \quad (40)$$

$$vec_r.shape = [24] \quad (41)$$

at the end of `Newton.__call__`

$$state = [0 \ 0 \ 0 \ 0.0002893 \ 0.0002893 \ \dots \quad (42)$$

$$-0.0002893 \ 0.001486 \ -0.0002382 \ -0.0002382 \ 0.003176] \quad (43)$$

$$state.shape = [36] \quad (44)$$

3.1 Pass 2 of the `for` loop of `solve_evolutionary_op`

$$ts.time = 0.5 \quad (45)$$

$$state = [0 \ 0 \ 0 \ 0.0002893 \ 0.0002893 \ \dots \quad (46)$$

$$-0.0002893 \ 0.001486 \ -0.0002382 \ -0.0002382 \ 0.003176] \quad (47)$$

$$state.shape = [36] \quad (48)$$

4 Pass 3 of the `for` loop of `SimpleTimeSteppingSolver.__call__`

$$step = 2 \quad (49)$$

$$time = 1 \quad (50)$$

calling `step_fun` from `SimpleTimeSteppingSolver.__call__`
in `time_step_function`

$$ts.time = 1 \quad (51)$$

$$ts.step = 2 \quad (52)$$

time_update, calling update_materials
in traction_load of axial_rod_sfepy.py

$$nt = 1 \tag{53}$$

time_update, after update_materials

4.0.1 In the ts.step != 0 case

ts.step != 0

calling problem.solve

calling solvers.nls.__call__ from ProblemDefinition.solve

In Newton.__call__ in sfepy/solvers/nls.py

in assemble_vector of sfepy/fem/evaluate.py

$$args = 'solid' : Material : solid, 'u' : Variable : u, 'ts' : TimeStepper, 'v' : Variable : v \tag{54}$$

$$vec_nels.shape = \begin{bmatrix} 2 \\ 1 \\ 24 \\ 1 \end{bmatrix} \tag{55}$$

in assemble_vector of sfepy/fem/evaluate.py

$$args = 'traction' : Material : traction, 'ts' : TimeStepper, 'v' : Variable : v \tag{56}$$

$$vec_nels.shape = \begin{bmatrix} 1 \\ 1 \\ 12 \\ 1 \end{bmatrix} \tag{57}$$

$$vec_r = [0 \ 0 \ 0 \ 0 \ 0 \ \dots \tag{58}$$

$$0 \ 0 \ 0 \ 0 \ -0.0125] \tag{59}$$

$$vec_r.shape = [24] \tag{60}$$

in assemble_matrix

$$args = 'solid' : Material : solid, 'u' : Variable : u, 'ts' : TimeStepper, 'v' : Variable : v \tag{61}$$

$$mtx_i n_e ls.shape = \begin{bmatrix} 2 \\ 1 \\ 24 \\ 24 \end{bmatrix} \quad (62)$$

$$args = 'traction' : Material : traction, 'ts' : TimeStepper, 'v' : Variable : v \quad (63)$$

in [assemble_vector](#) of `sfepy/fem/evaulate.py`

$$args = 'solid' : Material : solid, 'u' : Variable : u, 'ts' : TimeStepper, 'v' : Variable : v \quad (64)$$

$$vec_i n_e ls.shape = \begin{bmatrix} 2 \\ 1 \\ 24 \\ 1 \end{bmatrix} \quad (65)$$

in [assemble_vector](#) of `sfepy/fem/evaulate.py`

$$args = 'traction' : Material : traction, 'ts' : TimeStepper, 'v' : Variable : v \quad (66)$$

$$vec_i n_e ls.shape = \begin{bmatrix} 1 \\ 1 \\ 12 \\ 1 \end{bmatrix} \quad (67)$$

$$vec_r = [0 \ 0 \ 0 \ 0 \ 0 \ 0 \ \dots \quad (68)$$

$$0 \ 0 \ 0 \ 0 \ 0] \quad (69)$$

$$vec_r.shape = [24] \quad (70)$$

at the end of [Newton.__call__](#)

$$state = [0 \ 0 \ 0 \ 0.0005785 \ 0.0005785 \ \dots \quad (71)$$

$$-0.0005785 \ 0.002972 \ -0.0004764 \ -0.0004764 \ 0.006353] \quad (72)$$

$$state.shape = [36] \quad (73)$$

4.1 Pass 3 of the `for` loop of `solve_evolutionary_op`

$$ts.time = 1 \tag{74}$$

$$state = [0 \ 0 \ 0 \ 0.0005785 \ 0.0005785 \ \dots \tag{75}$$

$$-0.0005785 \ 0.002972 \ -0.0004764 \ -0.0004764 \ 0.006353] \tag{76}$$

$$state.shape = [36] \tag{77}$$